



# The SPECTRAL Ice Chamber: Application to Titan’s Stratospheric Ice Clouds

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## Abstract

An ice chamber for obtaining thin-film transmission spectra of Titan-relevant organic ices between 50 and 11,700  $\text{cm}^{-1}$  (200–0.85  $\mu\text{m}$ ) is described in detail in this work. The ice chamber, called the SPECTroscopy of Titan-Related ice AnaLogs chamber, is located in the Spectroscopy for Planetary ICes Environments laboratory at NASA Goddard Space Flight Center. Organic vapors are typically deposited between 30 and 150 K via a variable leak valve onto a chemical vapor deposition diamond substrate, where condensation directly into the solid state occurs. Quantitative thin-film infrared transmission spectra of the given ice or ice mixture are then measured, from which optical constants (complex indices of refraction) are computed. These optical constants in turn provide the necessary input for interpreting radiative transfer analyses of Cassini’s Composite InfraRed Spectrometer observations of Titan’s organic stratospheric ice clouds to determine their chemical compositions, abundances, and vertical distributions as functions of Titan latitude and season.

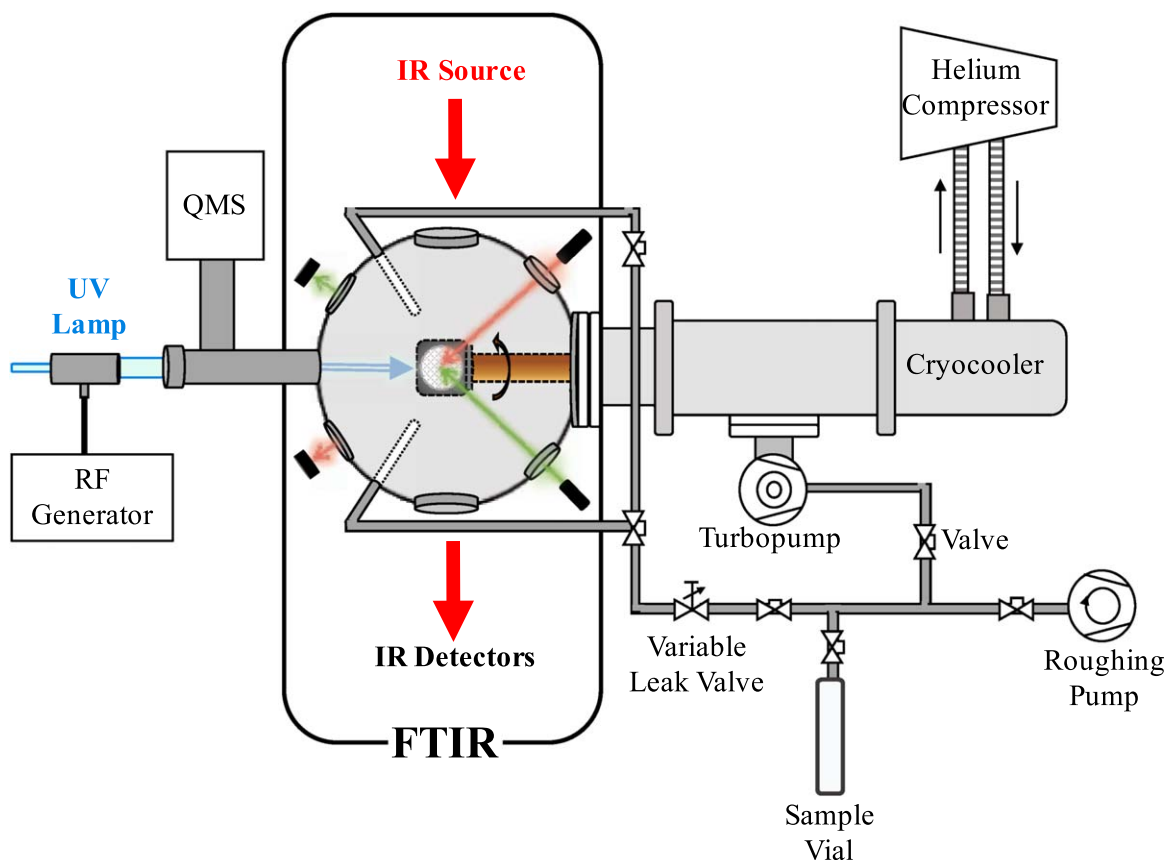
**Key words:** methods: laboratory: solid state – planets and satellites: atmospheres – planets and satellites: composition – radiative transfer – techniques: spectroscopic

## 1. Introduction

During the *Voyager* 1 flyby of Titan in 1980 November, the InfraRed Interferometer Spectrometer (IRIS) revealed Titan’s stratosphere to contain a plethora of organic vapors (see for example Hanel et al. 1981; Maguire et al. 1981; Coustenis et al. 1999). The abundance of these vapors suggested that condensation directly from the vapor to solid phase should be occurring to form ice clouds in Titan’s cold lower stratosphere (e.g., Maguire et al. 1981; Sagan & Thompson 1984; Frere et al. 1990; Samuelson et al. 1997; Coustenis et al. 1999; Raulin & Owen 2002). Included are the hydrocarbon ices of ethane ( $\text{C}_2\text{H}_6$ ), acetylene ( $\text{C}_2\text{H}_2$ ), diacetylene ( $\text{C}_4\text{H}_2$ ), methylacetylene ( $\text{C}_3\text{H}_4$ ), propane ( $\text{C}_3\text{H}_8$ ), and benzene ( $\text{C}_6\text{H}_6$ ), as well as the nitrile ices of hydrogen cyanide (HCN), cyanoacetylene ( $\text{HC}_3\text{N}$ ), and cyanogen ( $\text{C}_2\text{N}_2$ ).

More than two decades following the *Voyager* missions, the *Cassini* spacecraft entered Saturn orbit in 2004. Over *Cassini*’s 13 year mission tenure, the Composite InfraRed Spectrometer (CIRS)—the successor to IRIS—observed numerous ice clouds of varying chemical compositions in Titan’s winter polar stratospheres (see de Kok et al. 2007; Samuelson et al. 2007; Anderson et al. 2010, 2014, 2016; Anderson & Samuelson 2011; Jennings et al. 2012a, 2012b; Vinatier et al. 2018). In order to identify and quantify these observed ice cloud spectral features, laboratory transmission spectra of thin ice films, leading to derived optical constants for the ices, are essential. This paper details the SPECTroscopy of Titan-Related ice AnaLogs (SPECTRAL) chamber located in the Spectroscopy for Planetary ICes Environments (SPICE) Laboratory at NASA Goddard Space Flight Center. Although the SPECTRAL chamber is mostly focused on Titan stratospheric ice studies, its capabilities are also applicable to a much broader range of planetary objects such as gas and ice giant planet atmospheres, relatively cool exoplanet atmospheres, icy surfaces and atmospheres of Kuiper Belt objects, icy moon surfaces, plume jet particulates, asteroid icy surfaces, and comets.

Formerly, transmission spectroscopy measurements and optical constant calculations of Titan’s stratospheric ice analogs were determined strictly from annealing procedures (see, for example, Khanna et al. 1988; Masterson & Khanna 1990; Dello Russo & Khanna 1996; Khanna 2005; Moore et al. 2010). In this approach, the organic vapor is deposited at a low temperature, typically around 30 K, in order to restrict the ice to its amorphous phase. The ice is then warmed to its “annealing” temperature, where it is then held until it transitions to its lowest-energy or crystalline phase; this phase transition is determined by various mechanisms depending on the investigator (e.g., look for spectral changes that cease with time). However, this experimental approach is contradictory to the way in which ice clouds form in Titan’s stratosphere. On Titan, atmospheric subsidence transports enriched trace organic vapors (predominantly nitriles and hydrocarbons) formed at high altitudes downward to lower altitudes, leading to increased condensation in the cold, mid-to-low altitudes in Titan’s winter polar stratosphere. Stratospheric condensation also occurs at mid and low latitudes, although the ice abundance is much lower than observed at the winter poles. Most of Titan’s organic vapors will condense to form successive ice shells on its photochemically produced aerosol particles as the vapors cool while descending throughout its stratosphere. Depending on vapor abundances, local atmospheric temperatures, and the saturation vapor pressures, these numerous chemical compounds will enter altitude regions in Titan’s stratosphere where the vapors will simultaneously saturate, and co-condensation will commence. In the process of co-condensation, the ice particles will no longer be chemically isolated into successive shells of pure ices. Instead, a single uniform mixed ice layer will form, with continuously varying relative abundances as it subsides across the vertical range over which co-condensation is taking place. The concept of co-condensation as compared to that of layered ice particles is discussed further in Section 4. Lastly, in addition to vapor condensation formation processes, other ice formation



**Figure 1.** Schematic of the SPECTRAL ice chamber experimental setup at NASA Goddard Space Flight Center. Both pure and mixed vapors are deposited between 30 and 150 K via a variable leak valve onto a cooled chemical vapor deposition diamond substrate (small circular stippled region; see Figure 2), where condensation occurs directly into the solid phase. Transmission spectroscopy across the far- to near-IR ( $50\text{--}11,700\text{ cm}^{-1}$ ;  $200\text{--}0.85\text{ }\mu\text{m}$ ) is then used to detect absorption bands arising from the ices, from which optical constants can then be determined.

processes, such as solid-state chemical processes, may also occur between adjacent pure/mixed ice shells to form new ice compounds in the solid state (see Anderson et al. 2016).

This paper describes the methodologies developed in the SPICE laboratory using the SPECTRAL chamber to better understand the chemical characteristics, optical and structural properties, and formation processes of Titan’s stratospheric ice clouds as observed by CIRS. The SPECTRAL chamber is detailed in Section 2, while the synthesis of the pure vapors and purification procedures are described in Section 3. Thin ice film transmission measurements and optical constant calculations are discussed in Section 4, and concluding remarks are given in Section 5.

## 2. SPECTRAL Ice Chamber Description

A schematic of the SPECTRAL ice chamber is shown in Figure 1. The ice chamber consists of an IR spectrometer, cryostat, spherical sample chamber, turbo pump, UV lamp, quadrupole mass spectrometer, and two visible wavelength laser diodes.

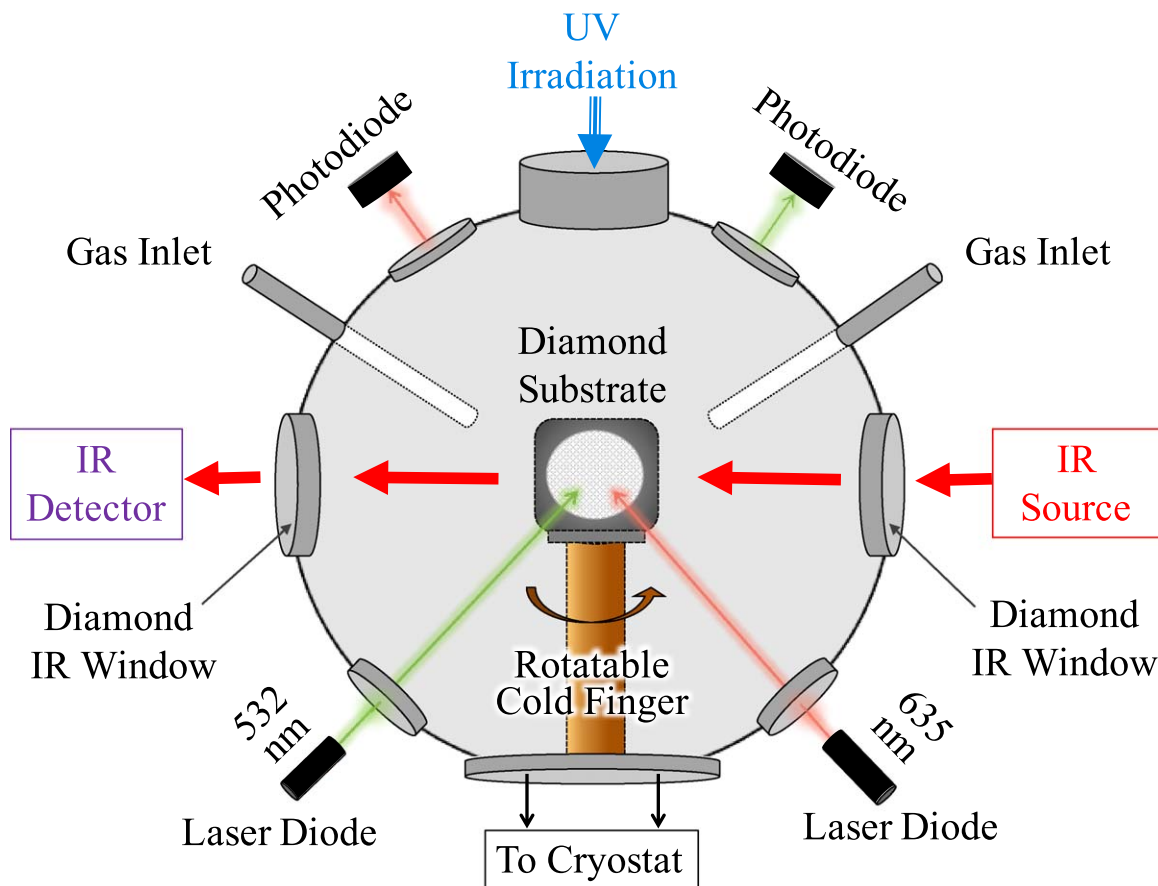
Transmission spectra of vacuum deposited thin ice films ( $<10\text{ }\mu\text{m}$ ) are recorded with a Fourier Transform InfraRed (FTIR) spectrometer (Nicolet, model iS50R) spanning  $50\text{--}11,700\text{ cm}^{-1}$  ( $200\text{--}0.85\text{ }\mu\text{m}$ ). The FTIR spectrometer is fully automated with multi-spectral range; the highest spectral resolution is  $\Delta\nu = 0.09\text{ cm}^{-1}$ . Typically, 256 scans are recorded at  $\Delta\nu = 4\text{ cm}^{-1}$ , then averaged to produce a single spectrum. The spectrometer contains two internal sources—a

Polaris™ long-life IR source and a white light (tungsten-halogen) source, three beamsplitters, and three detectors for recording spectra across the far-, mid-, and near-IR spectral regions.

The far-IR beamsplitter (solid-state) spans  $20\text{--}700\text{ cm}^{-1}$  ( $500\text{--}14.3\text{ }\mu\text{m}$ ), the mid-IR beamsplitter (KBr) ranges from  $350\text{ to }7400\text{ cm}^{-1}$  ( $28.6\text{--}1.35\text{ }\mu\text{m}$ ), and the near-IR beamsplitter ( $\text{CaF}_2$ ) covers the spectral range  $1200\text{--}14,500\text{ cm}^{-1}$  ( $8.3\text{--}0.69\text{ }\mu\text{m}$ ). The far-IR detector (DTGS with polyethylene window) spans  $50\text{--}700\text{ cm}^{-1}$  ( $200\text{--}14.3\text{ }\mu\text{m}$ ), the  $\text{LN}_2$ -cooled mid-IR detector (MCT-A with CdTe window) ranges from  $600\text{ to }11,700\text{ cm}^{-1}$  ( $16.67\text{--}0.85\text{ }\mu\text{m}$ ), and the additional mid-IR detector (DTGS with KBr window) spans  $350\text{--}12,500\text{ cm}^{-1}$  ( $28.6\text{--}0.8\text{ }\mu\text{m}$ ).

The FTIR spectrometer is controlled by the OMNIC™ software (Thermo Scientific™). Depending on the selected detector, an automated beamsplitter exchanger loads the corresponding beamsplitter. This set-up allows for automatic transitioning across the far-, mid-, and near-IR spectral regions while keeping the purge intact. The purge is carried out by continuously flowing clean and dried compressed air into the spectrometer.

The FTIR spectrometer’s main sample compartment permanently contains a spherical high-vacuum sample chamber (Kimball Physics; see Figure 2). A circular ( $25.4\text{ mm} \times 1\text{ mm}$ ) chemical vapor deposition (CVD) diamond substrate (Diamond Materials) resides at the center of the sample chamber, and is cooled by a closed-cycle cryostat (Advanced Research Systems, Inc.). The cryostat contains a cryocooler (Advanced



**Figure 2.** Schematic of the spherical high-vacuum sample chamber that permanently resides in the FTIR spectrometer’s main sample compartment. The spherical chamber has nine port windows: two 2 3/4” Conflat Flange (CF) IR/white light source *in* and *out* chemical vapor deposition (CVD) diamond vacuum windows, two 1 1/3” CF laser diode windows, positioned at incident angles of 55° and 65° relative to the 25 mm × 1 mm CVD diamond substrate, two 1 1/3” CF photodiode windows, positioned at 55° and 65°, two 1 1/3” windows for vapor deposition, both positioned at 45°, and one 2 3/4” CF irradiation window.

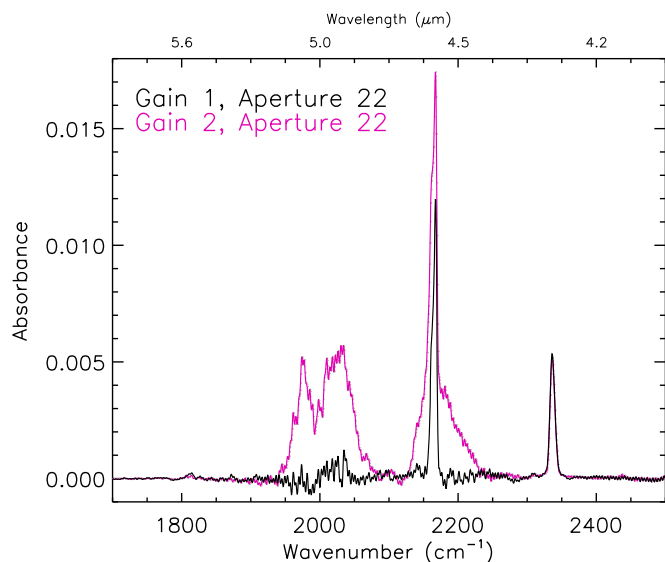
Research Systems, Inc., model DE-202AI) connected to an air-cooled helium compressor (Advanced Research Systems, Inc., model ARS-125A). Connected to the cryocooler is a temperature controller (LakeShore, model 335) spanning temperatures 14–350 K ( $\pm 13$  mK at 1.4 K,  $\pm 76$  mK at 77 K, and  $\pm 47$  mK at 300 K), a 36 Ohm internal resistive thermfoil heater wire that warms the diamond substrate, and two temperature sensors (silicon diodes; LakeShore, model 670B-SD) on the diamond substrate holder. Pressures as low as  $6 \times 10^{-8}$  Torr inside the high-vacuum sample chamber are maintained by a pumping station, which consists of a turbopump (Agilent Technologies, Inc., model TV 301 NAV) and a turbo rack controller (Agilent Technologies, Inc., model Turbo-V301-AG).

The spherical sample chamber has nine port windows (Figure 2): two 2 3/4” Conflat Flange (CF) CVD diamond vacuum windows for transmission of the IR/white light source, two 1 1/3” CF quartz windows for the 635 and 532 nm laser diode incident beams (Thorlabs<sup>TM</sup>, models CPS635F and CPS532, 5 mW laser diodes), two 1 1/3” CF quartz windows for transmitting the reflected lasers to their corresponding Si photodiodes (Thorlabs<sup>TM</sup>, model SM05PD1A), two 1 1/3” CF inlet lines for vapor deposition, and one 2 3/4” CF MgF<sub>2</sub> window used for irradiation experiments—it is connected to a vacuum ultraviolet (VUV) resonance mercury lamp filled with 3 Torr of argon (OPHTOS Instrument Company LLC), and emits two lines at 184.9 and 253.7 nm. A microwave generator (maximum power output of 120 W) is used to generate an

argon discharge that excites the mercury, producing the two emission lines.

Thin ice films are grown by slowly depositing organic vapors via a variable leak valve onto the diamond substrate (detailed in Section 4.2). The diamond substrate is attached to the cryo-cooler’s rotatable cold finger, located at the center of the spherical sample chamber (see Figures 1 and 2). Both the deposition and flow rates are slightly variable, ranging from 0.1 to 0.5  $\mu\text{m min}^{-1}$  and 0.02 to 0.2  $\mu\text{l min}^{-1}$ , respectively, since both rates are functions of vapor composition and total gas pressure. The flow rate refers to an incoming gas as it enters the ice chamber to be condensed, and represents the volume of gas that passes through the gas inlet per unit time. On the other hand, the deposition rate refers to the production rate of an ice on the substrate, which describes the amount of ice that grows by vapor deposition per unit time.

Between the sub-mm and near-IR spectral regions, CVD diamond has excellent throughput with only one strong and broad absorption feature between  $\sim 1900$  and  $\sim 2300$   $\text{cm}^{-1}$  ( $\sim 5.2$  and  $\sim 4.3$   $\mu\text{m}$ ). Depending on the chemical compound, the loss of signal from the diamond absorption is partly correctable by optimizing the FTIR spectrometer’s detector gain (the increase in the detector signal amplitude due to electronic amplification) and angular size (a variable diameter size that controls the input intensity of the IR/white light source). Using amorphous C<sub>2</sub>N<sub>2</sub> (vapor deposited at 30 K) as an example, Figure 3 illustrates the impact different



**Figure 3.** Absorbance spectra of a  $4.19\ \mu\text{m}$  thick film of amorphous  $\text{C}_2\text{N}_2$  (vapor was deposited at 30 K). The two curves depict two different combinations of detector gain for one fixed aperture size. The pink curve shows the combination of gain 2 and aperture size 22, while the black curve depicts the combination of gain 1 and the same aperture size (22). The latter combination is optimal for  $\text{C}_2\text{N}_2$  ice. For each chemical compound, several combinations of detector gain and aperture size are assessed in order to optimize the minimization of the CVD diamond absorption band strength between  $\sim 1900$  and  $\sim 2300\ \text{cm}^{-1}$  ( $\sim 5.2$  and  $\sim 4.3\ \mu\text{m}$ ).

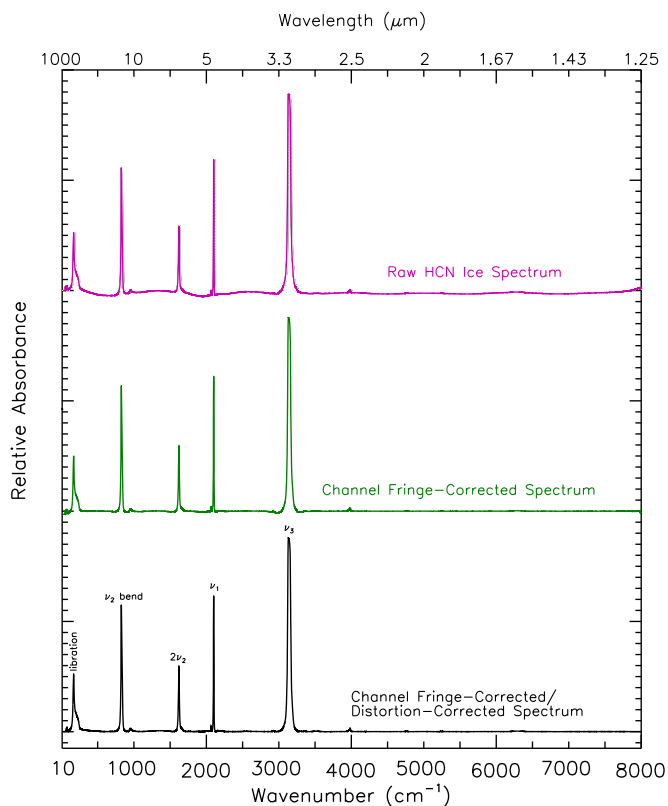
combinations of detector gain, for a fixed aperture size, have on the strength of the diamond absorption feature. In practice, per chemical compound, several combinations of detector gain and aperture size are tested to obtain the best correction. The efficiency of this diamond-absorption recovery method is a function of the compound since ices have varying opacities—the more transparent the ice, the more difficult it is to mitigate the degree of diamond absorption since it is more affected by the diamond substrate.

As shown in Figures 1 and 2, the two collimated laser diodes are mounted outside the vacuum chamber walls. The lasers are positioned at  $55^\circ$  and  $65^\circ$ , relative to the position of the growing thin ice film. The reflected laser signals are collected by two mounted photodiodes, which are connected to a compact data acquisition platform (National Instruments<sup>TM</sup>, model NI cDAQ-91740), which measures their corresponding voltages. The voltage is monitored as a function of time for both lasers, and is carried out using a LabVIEW acquisition program. LabVIEW records the fringe patterns obtained from the two lasers simultaneously, which are then used as inputs into an IDL program to compute the refractive index at one of the laser wavelengths  $n_0$  and the ice film thickness  $d$ . This is detailed in Section 4.

A quadrupole mass spectrometer (Pfeiffer<sup>TM</sup>, model Prisma-Plus) measures the ion masses from 1 to 200 amu of the vapors released as a result of sublimation at the end of the experiments. It is coupled to the same port as the VUV lamp via a 2 3/4" CF tee.

### 3. Vapor Synthesis and Purification

The nitriles HCN,  $\text{HC}_3\text{N}$ ,  $\text{C}_2\text{N}_2$ , and dicyanoacetylene ( $\text{C}_4\text{N}_2$ ), all necessary for the Titan stratospheric ice experiments, are unavailable commercially so these compounds must be synthesized in the laboratory; Figure 4 shows a spectrum of



**Figure 4.** Absorbance spectra of a  $4.29\ \mu\text{m}$  thick film of HCN ice (vapor deposited at 110 K). The top spectrum (pink curve) represents the raw experimental HCN ice spectrum, showing the channel fringes. The middle spectrum (green curve) illustrates the first stage of the data processing, which removes the channel fringes. The bottom spectrum (black curve) depicts the final data processing stage, free of channel fringes and also spectral distortions, the latter being introduced during the channel fringe removal procedure (see Section 4 for details on the data processing method).

synthesized HCN. The syntheses are carried out using an eight-port glass vacuum manifold installed inside a fume hood and connected to a turbo-pumping station (Pfeiffer, model HiCube), which allows low pressures down to  $5 \times 10^{-6}$  mbar to be maintained. The volatile reaction products are examined during the synthesis with a residual gas analyzer (Stanford Research Systems Inc.<sup>®</sup>, Model RGA200), measuring ion masses from 1 to 200 amu.

The gaseous HCN monomer is synthesized by thermal reaction of equimolar potassium cyanide (KCN; Sigma Aldrich, 100%) and stearic acid (Sigma Aldrich, 97.2%) at  $\sim 100^\circ\text{C}$ , following the procedure described in Gerakines et al. (2004).  $\text{HC}_3\text{N}$  is synthesized by reacting dry propiolamide ( $\text{HC}\equiv\text{CCONH}_2$ ; Alfa Aesar, 98 + %) with phosphorus pentoxide ( $\text{P}_2\text{O}_5$ ; Sigma Aldrich, 98.6%) and dry sand ( $\text{SiO}_2$ ; Sigma Aldrich, 100%) at  $\sim 225^\circ\text{C}$ , adapted from the synthesis procedures of Moureu & Bongrand (1910), Miller & Lemmon (1967), and Graupner et al. (2006).  $\text{C}_4\text{N}_2$  is synthesized by the reaction of dry 2-butynediamide ( $\text{NH}_2\text{OC}-\text{C}\equiv\text{C}-\text{CONH}_2$ ; Acros Organics, 96.1%) with  $\text{P}_2\text{O}_5$  and dry sand at  $\sim 230^\circ\text{C}$ , following the methods of Moureu & Bongrand (1909, 1920), Miller & Hannan (1953), and Coll et al. (1999).  $\text{C}_2\text{N}_2$  is synthesized by thermal decomposition of silver cyanide ( $\text{AgCN}$ ; Alfa Aesar, 99%) following the procedures found in Hogness & Tsai (1932) and Brotherton & Lynn (1959). The dry salt must be heated at temperatures  $< 300^\circ\text{C}$  to prevent the formation of paracyanogen, the solid polymeric form of  $\text{C}_2\text{N}_2$ .



The syntheses of these nitriles generate byproducts from the reactions. Not only is it possible to introduce and/or form contaminants during the nitrile synthesis procedure, but the contaminants may also be present during handling and storage of the commercially purchased reactants. Moreover, in the presence of air contaminants such as moisture ( $\text{H}_2\text{O}$ ) and carbon dioxide ( $\text{CO}_2$ ), nitriles can rapidly react to form additional organics, and can also polymerize into CN polymers. Therefore, purifying the sample becomes critical, since the presence of a contaminant in the sample can alter the spectral features of the Titan ice analogs. To remove the contaminants, each experiment begins by depositing the vapor at 30 K, and then the resulting mid-IR recorded spectra are used to check the contamination level of the synthesized nitrile. This is an efficient analytical technique to detect major contaminants such as  $\text{H}_2\text{O}$  and  $\text{CO}_2$ , as well as minor organic byproduct contaminants that would otherwise be difficult to diagnosis in the far- or near-IR spectral regions. Once the contaminants are spectrally identified in the nitrile ice samples, their purification process is initiated by carrying out several freeze–thaw–pump cycles under vacuum, using an  $\text{LN}_2$ –ethanol slush bath ( $-116^\circ\text{C}$ ). With the adopted purification method, the contaminants  $\text{H}_2\text{O}$  and  $\text{CO}_2$  are successfully removed from the samples, as well as additional contaminants with abundances above the FTIR spectrometer detection limit. For example, during the purification process of  $\text{C}_2\text{N}_2$ , the  $\nu_1$  symmetric stretching mode of amorphous  $\text{C}_2\text{N}_2$  at  $2336\text{ cm}^{-1}$  was discovered, nominally masked by the asymmetric stretching mode of  $\text{CO}_2$  at  $2345\text{ cm}^{-1}$ . To our knowledge, only the liquid phase of  $\text{C}_2\text{N}_2$  near  $2336\text{ cm}^{-1}$  has been reported in the literature by Thomas & Orville-Thomas (1968) and Corain (1982). Although the  $2336\text{ cm}^{-1}$  vibrational mode of  $\text{C}_2\text{N}_2$  is expected to be IR-inactive, Thomas & Orville-Thomas (1968) report that in a condensed liquid phase, relaxation of the symmetry rules can occur. We only observe the  $2336\text{ cm}^{-1}$  feature of  $\text{C}_2\text{N}_2$  in the amorphous phase, and never in the crystalline phase. Figure 5 shows mid-IR spectra of the  $2336\text{ cm}^{-1}$  feature of amorphous  $\text{C}_2\text{N}_2$  ice (vapor deposited at 30 K), both with and without the  $\text{CO}_2$ -ice contamination in the sample.

Once the synthesis and purification procedures of the nitriles are completed, the pure CN gases are collected and condensed with  $\text{LN}_2$  inside a valved glass tube. The resulting ice samples are then stored inside a  $-86^\circ\text{C}$  ultra-low temperature freezer (Thermo-Scientific<sup>TM</sup>, HFU 300T).

## 4. Far- and Mid-IR Spectroscopy

### 4.1. Justification for Co-condensed Ice Analogs

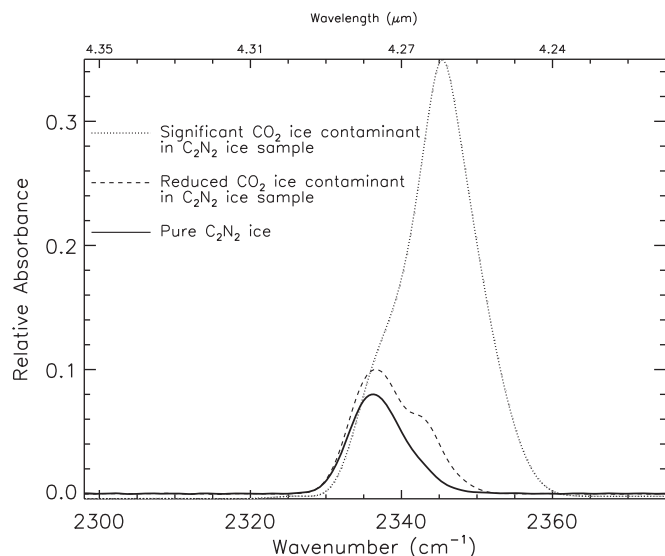
Once a pure amorphous ice is sufficiently warmed (i.e., annealed) or the vapor is deposited at a warm enough temperature, the molecules are able to mobilize into a crystalline structure, in which the electrical forces between the individual molecules are minimized. This gives rise to unique vibrational frequencies associated with a crystalline structure, which yields distinct spectral features. In a co-condensed ice, however, the ice is incapable of forming an ordered crystalline structure, and therefore the same degree of energy minimization cannot be achieved. This results in different vibrational frequencies from those of its pure ice counterparts, spectrally most evident in the low-energy part of the far-IR, where lattice and librational modes dominate.

The SPECTRAL chamber is now operational, and in the initial stages of detailed Titan ice analog (both pure and co-condensed) experimental studies. Preliminary results obtained from the SPECTRAL chamber are being used to identify the chemical compositions associated with some far-IR ice cloud spectral features observed in Titan’s stratosphere by CIRS. One example is the  $\nu_6$  band of pure  $\text{HC}_3\text{N}$  at  $506\text{ cm}^{-1}$  ( $19.8\ \mu\text{m}$ ), which was definitively identified in Titan’s northern winter polar stratosphere (see Figure 6; Anderson et al. 2010).

Another ice cloud example is the  $\nu_8$  band of  $\text{C}_4\text{N}_2$  ice at  $478\text{ cm}^{-1}$ , detected in Titan’s early northern spring stratosphere (Figure 7; Anderson et al. 2016). According to Anderson et al., the source of  $\text{C}_4\text{N}_2$  ice may be the result of solid-state photochemistry, occurring inside extant particles of co-condensed  $\text{HCN}:\text{HC}_3\text{N}$  ice. Radiative transfer fits to the CIRS-observed Titan far-IR spectra for both pure  $\text{C}_4\text{N}_2$  ice and a mixture containing 80%  $\text{HCN}$  ice and 20%  $\text{C}_4\text{N}_2$  ice are shown in Figure 7, clearly favoring the dilute mixture of  $\text{HCN}:\text{C}_4\text{N}_2$  ice.

A third example has an ice emission feature that peaks at  $160\text{ cm}^{-1}$  ( $62.5\ \mu\text{m}$ ; Figures 6 and 8; see also Anderson & Samuelson 2011; Anderson et al. 2014). This stratospheric ice feature has a broad spectral dependence spanning the low-energy part of the CIRS far-IR spectrum between  $\sim 100$  and  $300\text{ cm}^{-1}$  ( $100$ – $33.3\ \mu\text{m}$ ). This is an example in which the identification of an ice is more complex than for a pure ice since the ice emission feature arises from several chemical compounds (i.e., a composite or mixed ice). The contribution from this composite ice emission feature to Titan’s continuum is shown in Figure 6 as the difference between the solid and dashed black curves (the stippled region), and would otherwise not be evident as an ice feature without a full radiative transfer analysis (Anderson & Samuelson 2011). As experimental work indicates, the  $160\text{ cm}^{-1}$  stratospheric ice emission feature is a co-condensed ice resulting from the combination of the  $\nu_7$  band and lattice modes of  $\text{HC}_3\text{N}$  and the libration mode of  $\text{HCN}$ . As Figure 8 demonstrates, a simple weighted sum of the pure  $\text{HCN}$  and pure  $\text{HC}_3\text{N}$  ice features considered separately will not fit this observed stratospheric ice emission feature. Instead, it is necessary to mix the two vapors together, deposit the vapor mixture (i.e., reproducing co-condensation processes), and then derive the optical constants from thin film transmission spectroscopy of the mixed ice. The far-IR spectral dependence of the resulting mixed ice spectral feature is altered in spectral shape from that of the weighted sum of the individual ice features of  $\text{HCN}$  and  $\text{HC}_3\text{N}$ .

Both Figures 8 and 9 demonstrate the importance of co-condensed ice experiments, as compared to that of co-addition ice experiments and layered ice experiments. Co-addition experiments involve depositing individual vapors in separate experiments and then co-adding the resulting absorbances (and/or imaginary part of the refractive indices) of the pure ices—this mimics a layered ice; examples are shown with  $\text{HCN}$  ice and  $\text{C}_2\text{N}_2$  ice in Figure 9 and with  $\text{HCN}$  ice and  $\text{HC}_3\text{N}$  ice in Figure 8. Layered ice experiments involve depositing individual vapors one at a time during a given experiment, i.e., one compound is deposited and after a certain thickness is achieved, another compound with a different chemical composition is deposited on top of the first. Co-condensed ice experiments involve mixing two or more vapors first and then depositing the vapor mixture. However, while co-added and layered ices mimic each other, neither adequately

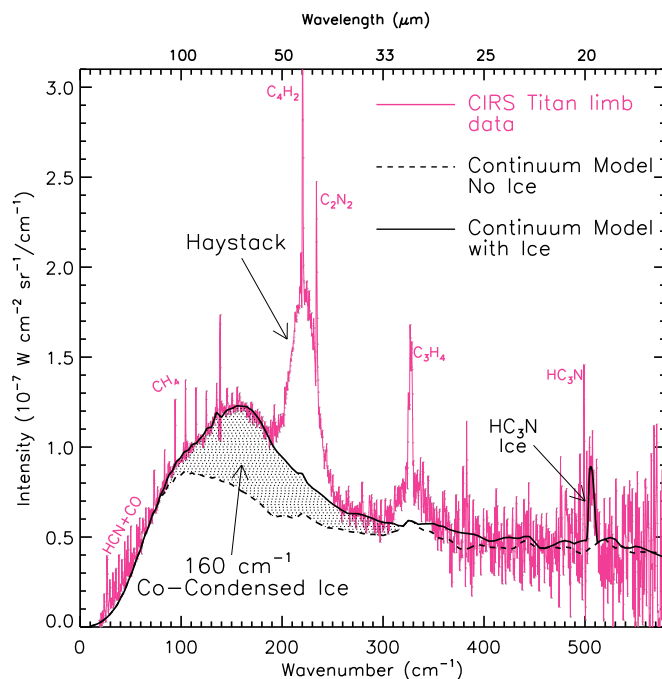


**Figure 5.** Mid-IR spectra of a  $4.16\ \mu\text{m}$  thick film of amorphous  $\text{C}_2\text{N}_2$  ice (vapor deposited at 30 K). The three different curves illustrate the degree of  $\text{CO}_2$  ice (asymmetric stretching mode at  $\sim 2345\ \text{cm}^{-1}$ ) contamination in the  $\text{C}_2\text{N}_2$  sample, following  $\text{C}_2\text{N}_2$  synthesis. The black dotted curve shows the  $\text{C}_2\text{N}_2$  ice sample dominated by  $\text{CO}_2$  ice contamination ( $\sim 16:1$ ), masking the amorphous  $\text{C}_2\text{N}_2$  feature at  $2336\ \text{cm}^{-1}$ . The black dashed curve shows the  $\text{C}_2\text{N}_2$  ice sample with a reduced amount of contamination from  $\text{CO}_2$  ice ( $\sim 3:1$ ) after numerous freeze–thaw–pump cycles in an  $\text{LN}_2$ –ethanol cold bath ( $-116\ ^\circ\text{C}$ ). The solid black curve reveals the  $\nu_1$  symmetric stretch of  $\text{C}_2\text{N}_2$  ice at  $2336\ \text{cm}^{-1}$  (any  $\text{CO}_2$  contamination is now below the spectrometer’s detection level), following additional freeze–thaw–pump cycles.

reproduces the optical and structural properties and the chemical composition of the resulting co-condensed ice, especially in the low-energy part of the far-IR (i.e.,  $<400\ \text{cm}^{-1}$ ); this effect is illustrated with HCN ice and  $\text{C}_2\text{N}_2$  ice in Figure 9, which shows the difference between an  $8.33\ \mu\text{m}$  thick film of a composite ice containing 50% HCN and 50%  $\text{C}_2\text{N}_2$ , compared to that of a  $4.31\ \mu\text{m}$  thick film of HCN ice layered on a  $4.34\ \mu\text{m}$  thick film of  $\text{C}_2\text{N}_2$ , all vapors deposited at 110 K. As indicated in the figure, it becomes easier to distinguish between layered and co-condensed ices with decreasing energy (going to lower wavenumbers). Specifically, for the HCN: $\text{C}_2\text{N}_2$  ice mixture, the presence of  $\text{C}_2\text{N}_2$  appears to have a catastrophic effect on HCN—it significantly damps out the absorption strength of all the HCN vibrational modes shown, a result that is never observed in the layered ices. In addition to the decrease in the HCN absorption strengths, the HCN vibrational bands shown also suffer a peak wavenumber shift to higher energies, as compared to the layered and co-added ices. On the other hand,  $\text{C}_2\text{N}_2$  appears to be relatively unaffected by the presence of HCN in the mixture; it appears stable regarding its absorption strength, spectral shape, and peak wavenumber position.

#### 4.2. Vapor Deposition Methodology

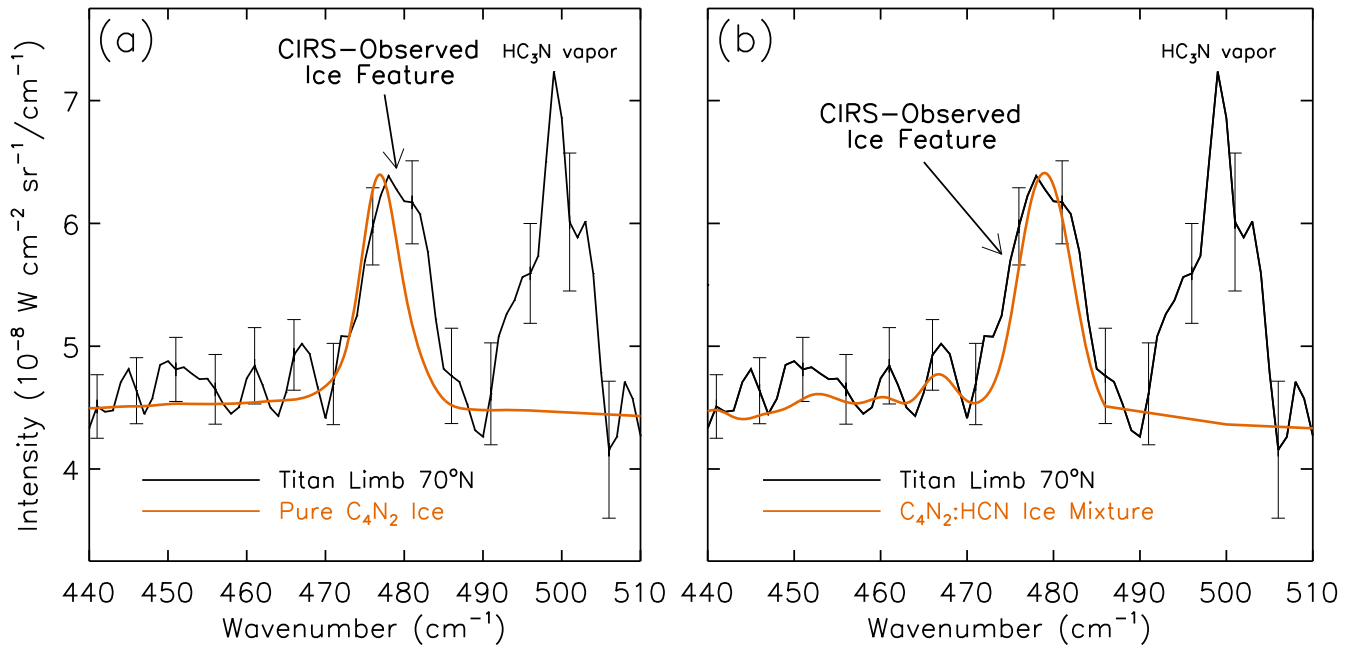
As discussed earlier, reproducing ice cloud formation in Titan’s stratosphere requires the organic vapor to be deposited at warmer temperatures (e.g., 110 K). In practice, there are inherent differences between depositing the vapor directly at warmer temperatures compared with depositing the vapor at colder temperatures (e.g., 30 K), and then warming to convert the ice to the crystalline phase. The latter approach forces the



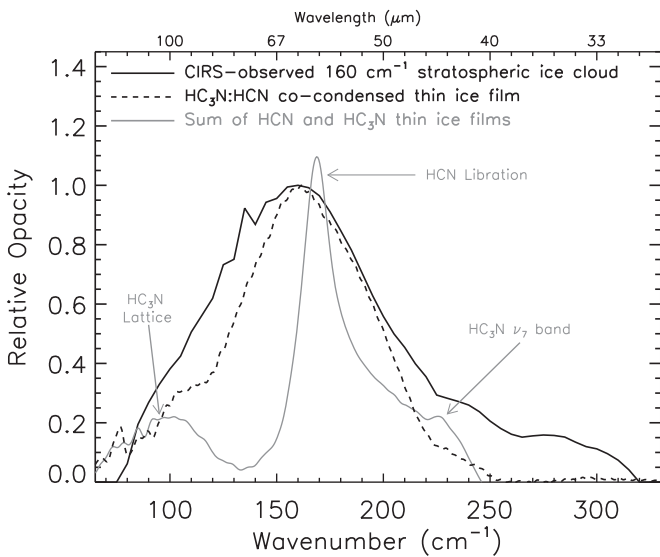
**Figure 6.** Modified from Anderson et al. (2014). *Cassini* CIRS far-IR limb integration spectrum (solid pink curve;  $\Delta\nu = 0.48\ \text{cm}^{-1}$ ) of Titan recorded at  $62^\circ\text{N}$  latitude and a 125 km tangent height during mid-to-late northern winter (2006 July). The assortment of organic vapors observable by CIRS are labeled, as is an unidentified broad ice emission feature centered at  $\sim 221\ \text{cm}^{-1}$ —the Haystack—and the  $\nu_6$  band of  $\text{HC}_3\text{N}$  ice at  $506\ \text{cm}^{-1}$ . Noticeable as well in the limb spectrum is the broad ice emission feature that peaks at  $160\ \text{cm}^{-1}$ , whose contribution to the continuum is indicated by the stippled region. Without the  $160\ \text{cm}^{-1}$  co-condensed ice feature, the continuum would reduce to the dashed curve level, demonstrating the significance of the stratospheric ice cloud. No attempt is made to include either the various observed vapor emission features or the Haystack in the radiative transfer fit (i.e., only the continuum opacity sources are included in the fit).

ice into its amorphous phase before being warmed to its annealing temperature. The ice is then held at its annealing temperature until the structure transitions to its crystalline phase. However, during annealing experiments, a portion of the ice’s amorphous structure is irreversibly retained even after the crystalline phase has been achieved. This is most noticeable in the low-energy lattice modes, and is discussed in greater detail for propionitrile ( $\text{C}_2\text{H}_5\text{CN}$ ) in D. Nna-Mvondo et al. (2018, in preparation).

Although depositing the vapor directly into the amorphous phase has been the standard practice for decades regarding Titan stratospheric ice studies (Khanna et al. 1988; Masterson & Khanna 1990; Dello Russo & Khanna 1996; Khanna 2005; Moore et al. 2010), this approach limits the understanding and reproduction of Titan’s stratospheric ices, especially for the *Cassini* CIRS-discovered composite ices discussed earlier. Even so, there are four reasons to deposit the vapor at cold temperatures. First, there is the need to compare with previous published measurements. Second, in order to test for contaminants (e.g.,  $\text{CO}_2$ ; see Section 3), the vapor is deposited at a cold temperature in the mid-IR and, if it is impure, the purification procedures are initiated (Section 3). Third, with co-condensed or mixed ices, the distinction between the amorphous and crystalline phase is often unclear, and the saturation vapor pressures for the gas mixtures are not necessarily equivalent to those of their pure counterparts (F. Raulin 2018, personal communication). Numerous



**Figure 7.** Modified from Anderson et al. (2016). *Cassini* CIRS far-IR limb integration spectrum (solid black curve;  $\Delta\nu = 2.56 \text{ cm}^{-1}$ ) of Titan recorded at  $70^\circ \text{N}$  latitude and a  $\sim 150 \text{ km}$  tangent height during early northern spring (2010 April). The orange solid curves depict radiative transfer calculations using SPICE lab-determined  $n$  and  $k$  values for (a) pure  $\text{C}_4\text{N}_2$  ice and (b) a co-condensed ice mixture containing 20%  $\text{C}_4\text{N}_2$  and 80% HCN; both experiments deposited the vapors at 110 K. As  $\text{C}_4\text{N}_2$  becomes more diluted in HCN within the ice mixture, the resulting composite ice analog emission feature shifts to higher wavenumbers, yielding better fits to the CIRS data.



**Figure 8.** Modified from Anderson & Samuelson (2011). The solid black curve is the CIRS-derived spectral dependence of Titan's  $160 \text{ cm}^{-1}$  northern winter stratospheric ice cloud. The dashed black curve is a co-condensed thin ice film (vapors deposited at 30 K) for a 1.26:1  $\text{HC}_3\text{N}:\text{HCN}$  ice mixture. The gray curve is the weighted sum of the individual ices of HCN and  $\text{HC}_3\text{N}$  (vapors deposited at 110 K) using the SPECTRAL chamber. This figure demonstrates that co-condensed ices, rather than the sum of their pure ice counterparts, better reproduce the spectral dependence of the CIRS-derived stratospheric ice cloud observations.

temperatures must be studied for the compounds of interest in both their pure and mixed states in order to fully understand the chemical and structural changes occurring within an ice as it forms during co-condensation processes. Finally, studying hydrocarbon and nitrile ices in their amorphous phase has relevance for planetary objects other than Titan (e.g., the Pluto system).

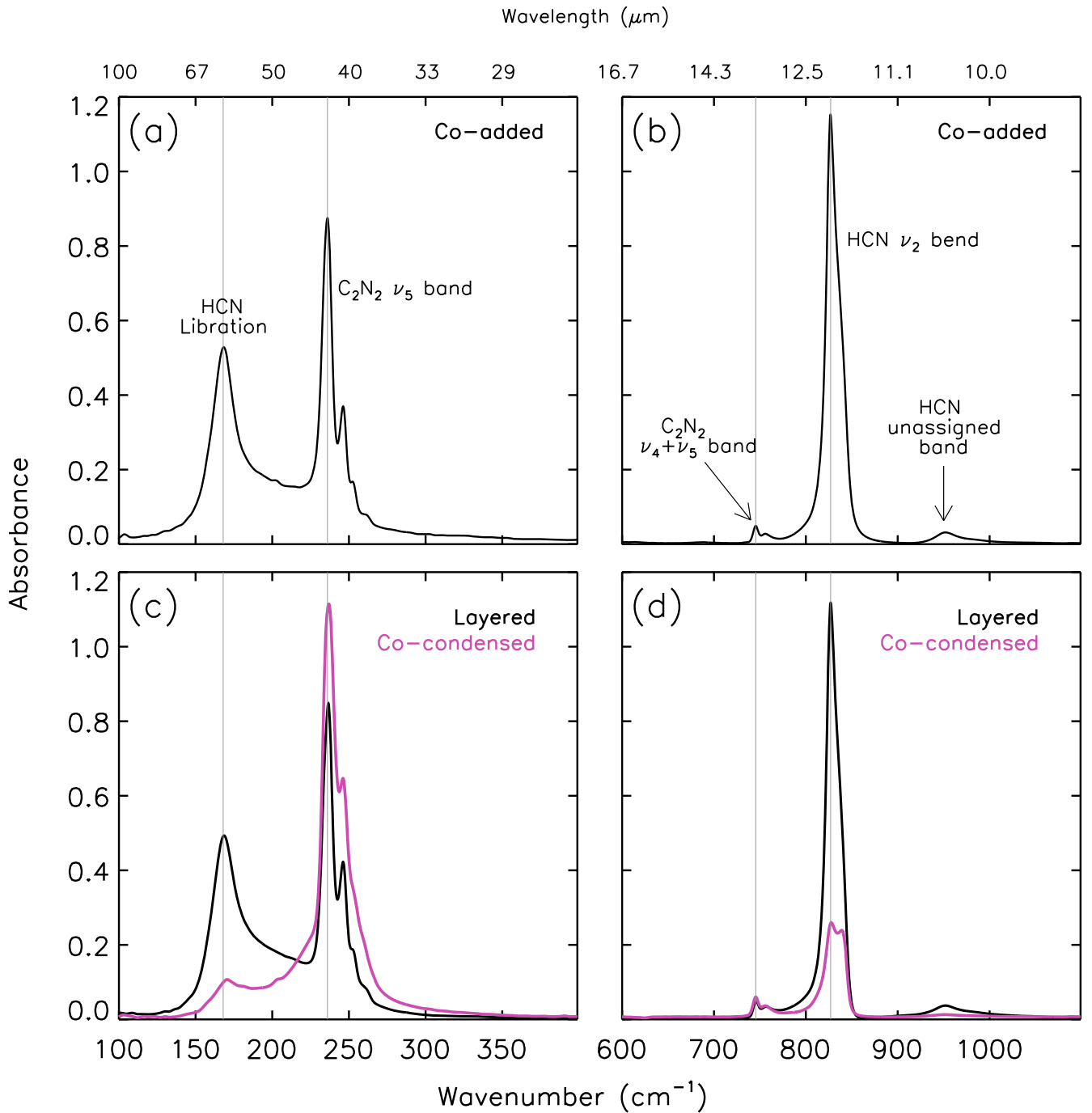
The organic vapors are typically deposited at 30, 60, 90, and 110 K (or 120 K), although intermediate and warmer/cooler temperatures are utilized as needed, depending on the compound being studied. In order to compare the experimental data with previous published work on pure ices, the vapors are also deposited at 30 or 60 K and then the ice is warmed until the annealing temperature is met. The ice is held at this temperature until the crystalline phase has been achieved. For both annealing and warm-depositing experiments, the crystalline temperature is assessed based on two criteria: (1) there are no observed changes in the strength and/or spectral dependence of the absorption bands after a 24 hr period, and (2) there is no noticeable sublimation of the ice film at the held temperature during the 24 hr time period. See D. Nna-Mvondo et al. (2018, in preparation) for more details.

#### 4.3. Determination of Optical Constants

As the ice film grows with deposition time, the interference fringe patterns are measured from the reflected ice layers at 532 and 635 nm (illustrated in Figure 10). From these resulting interference fringe patterns, the ice thickness  $d$  and the refractive index  $n_0$  can be determined, since  $n_0$  typically varies by less than 1% between 532 and 635 nm. The ice thickness  $d$  is related to the number of interference peaks seen in the fringe time-dependent voltage patterns via the Bragg equation (see Tempelmeier & Mills 1968; Domingo et al. 2007, and references therein):

$$d = \frac{m\lambda}{2\sqrt{n_0^2 - \sin^2\theta}}, \quad (1)$$

where  $\lambda$  is the wavelength of the laser diodes at either 532 or 635 nm,  $m$  is the number of phases present in each of the two interference fringe patterns,  $n_0$  is the real part of the refractive

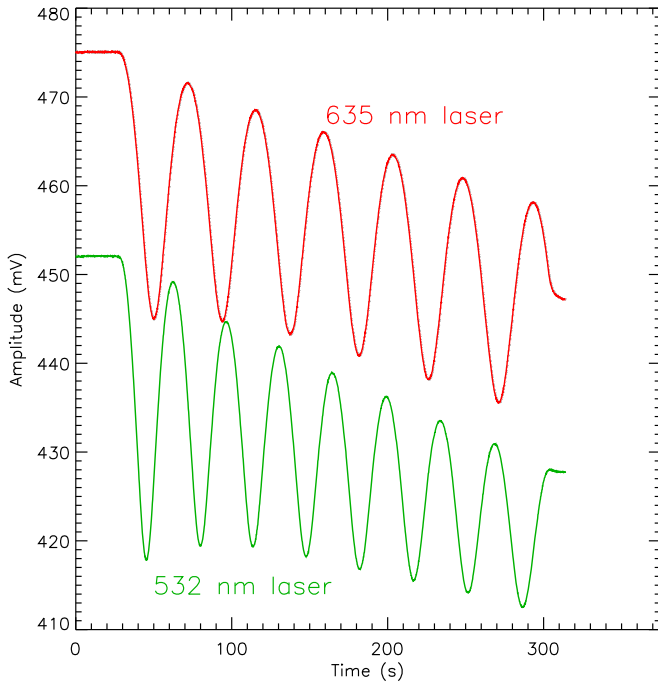


**Figure 9.** Absorbance spectra of various HCN ice and  $C_2N_2$  ice combinations (all vapors were deposited at 110 K). The top row (panels (a) and (b)) shows the co-added absorbances of a  $4.39 \mu\text{m}$  thick film of HCN ice (libration at  $168 \text{ cm}^{-1}$ ;  $\nu_2$  bending mode at  $827 \text{ cm}^{-1}$ ; unassigned band at  $953 \text{ cm}^{-1}$ ) and a  $4.25 \mu\text{m}$  thick film of  $C_2N_2$  ice (the  $\nu_5$  band has four peaks at  $236, 246, 253, 262 \text{ cm}^{-1}$ ; the  $\nu_4 + \nu_5$  band has three peaks at  $733, 745, 756 \text{ cm}^{-1}$ ). Both vapors were deposited separately, and the resulting HCN and  $C_2N_2$  ice absorbances were then co-added to simulate an ice particle layering effect. The bottom row (panels (c) and (d)) shows the experimental results from an  $8.65 \mu\text{m}$  thick layered ice (black solid curves) and an  $8.33 \mu\text{m}$  thick co-condensed ice (pink solid curves). In the layered ice experiment, the bottom ice layer contains a  $4.35 \mu\text{m}$  thick film of  $C_2N_2$  and the top layer comprises a  $4.31 \mu\text{m}$  thick film of HCN. In the co-condensed experiment, HCN and  $C_2N_2$  vapors were mixed in a 1:1 ratio, then co-deposited. As expected, the spectral dependence of layered  $C_2N_2$  and HCN ice is very similar to that of the co-added ices. On the other hand, neither the spectral appearance of the co-added ice nor the layered ice experiments reproduce those of the co-deposition experiments.

index of the ice at  $\lambda$ , and  $\theta$  is the incident angle of each of the two incoming lasers normal to the substrate surface. Voltage peaks in the interference fringe patterns occur at integer values of  $m$ ; voltage minima are located at half-integer values of  $m$ . A custom IDL program was developed to automatically locate the fringe extrema for each wavelength in order to calculate  $m$  as a function of time. The  $m$ -time series for the 532 nm laser is then

cubic spline interpolated onto the times where the 635 nm interference fringe pattern peaks. This provides simultaneous measurements of  $m$  at both wavelengths that are used with Equation (1) to solve for  $n_0$ . Following this, the median of these  $n_0$  values is calculated and the  $1\sigma$  uncertainty is estimated using the median absolute deviation (MAD). For the 110 K-deposited HCN ice fringe patterns shown in Figure 10, an  $n_0$  of





**Figure 10.** Amplitude vs. time dependence of the 635 nm (top red curve) and the 532 nm (bottom green curve) laser interference fringe patterns. These curves are the result of constructive and destructive interferences arising from the reflected layers of a  $1.90 \mu\text{m}$  thick film of HCN ice (vapor deposited at 110 K) as it grows with time.

$1.35 \pm 0.014$  was determined. Moore et al. (2010) reported HCN  $n_0$  values of 1.3 at 30 K and 1.39 at 120 K, using a 670 nm wavelength laser. On the other hand, Masterson & Khanna (1990) determined an  $n_0$  value of 1.36 (deposited at 60 K, annealed at 80 K, and then cooled to 60 K), although the laser wavelength was not discussed. Dello Russo & Khanna (1996) deposited HCN at a temperature somewhere between 50 and 100 K, annealed at 120 K, then cooled to 95 K. The  $n_0$  value, however, is not reported. The variations among the reported  $n_0$  values are most likely due to changing experimental conditions i.e., laser incident angles, deposition temperatures, deposition/annealing methodology, vapor flow rates, ice phase, etc.

Once  $n_0$  is known, it is then input into Equation (1) to compute the thin ice film thickness  $d$  at the last maxima in the interference fringe pattern. The  $1\sigma$  uncertainty in  $d$  is then calculated through standard error propagation using the MAD-determined uncertainty in  $n_0$ . Using the 635 nm interference fringe pattern shown in Figure 10, the calculated thickness for the HCN ice sample is  $1.90 \pm 0.04 \mu\text{m}$ .

In order to compute the optical constants, in addition to input parameters  $d$  and  $n_0$ , the third input parameter is the channel fringe-corrected experimental absorbance spectrum,  $A_\nu$ . To remove the channel fringes, an IDL program was developed that takes the inverse fast Fourier transform of the experimental spectrum to generate a time-domain interferogram. In interferogram space, it is easy to locate the index value of the dominant optical path difference of the channel fringes, with signatures that resemble spikes. To suppress the spikes, a bandpass filter is effectively applied by multiplying the interferogram by a window function, and then Fourier

transforming this product back to spectral space. As discussed in Hirschfeld & Mantz (1976), reducing a few points out of thousands results in a less than 0.1% change in the line shape and intensity. Suppressing the spikes, however, creates slight spectral distortions near the spectral peaks, which results from phase errors introduced by the discontinuities in the spike-suppressed interferogram (see Hirschfeld & Mantz 1976 for further explanation). To recover the signal loss from the distortions, a cubic spline interpolation is applied across the continuum of the affected spectral region, and then subtracted off from the data. Resulting spectra from the data processing method are illustrated with HCN ice in Figure 4.

To compute the real and imaginary parts of the ice refractive index, a custom IDL program was developed, which uses Lambert–Beer’s law and applies an iterative Kramers–Kronig analysis of the experimentally measured IR absorbance spectrum. The imaginary part of the refractive index,  $k(\nu)$ , is determined from the equation

$$k(\nu) = \frac{\alpha(\nu)}{4\pi\nu}, \quad (2)$$

where  $\alpha(\nu)$ , the Lambert absorption coefficient, is initially estimated from the quotient  $[A_\nu/d]$ ;  $d$  is the thin ice film thickness,  $A_\nu$  is the channel fringe-corrected experimental absorbance spectrum, and  $\nu$  is the wavenumber in  $\text{cm}^{-1}$ . The Kramers–Kronig relationship is then used to calculate the initial estimate of the real part of the refractive index  $n(\nu)$  from the equation

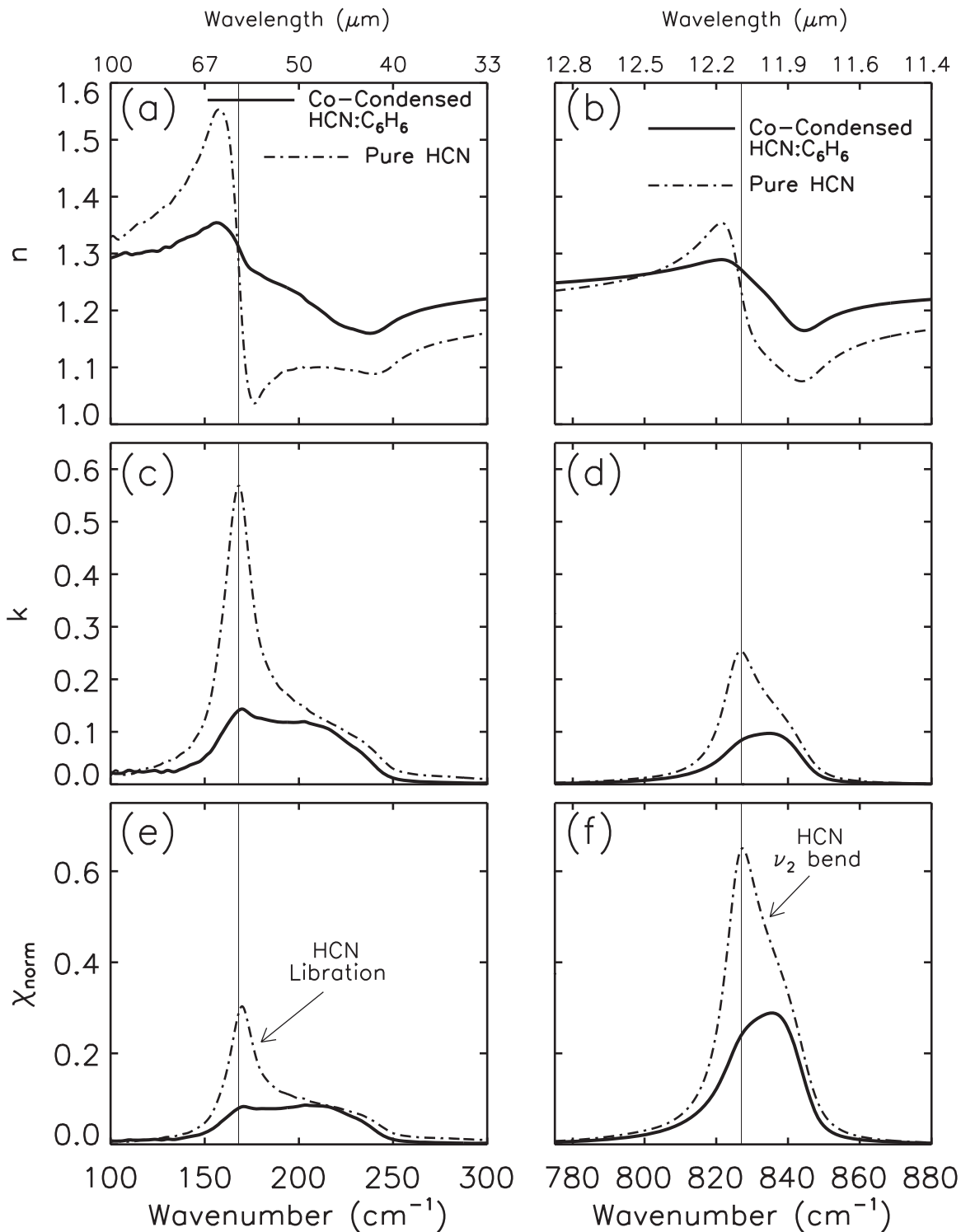
$$n(\nu) = n_0 + \frac{2}{\pi} \int_{\nu_1}^{\nu_2} \frac{\nu' k(\nu')}{\nu'^2 - \nu^2} d\nu', \quad (3)$$

where  $n_0$  is the real part of the refractive index at one optical wavelength determined from Equation (1) and  $\nu_1$  and  $\nu_2$  are the minimum and maximum of the wavenumber range over which the integration occurs; the calculations also avoid the divergent point  $\nu' = \nu$ . The iteration continues by using the initial estimates of  $k(\nu)$  and  $n(\nu)$  as input into the fully expanded Lambert absorption coefficient equation,  $\alpha(\nu)$ , defined by Rocha & Pilling (2014) and references therein:

$$\alpha(\nu) = \frac{1}{d} \left( A_\nu + \ln \left| \frac{t_{01} t_{12} / t_{02}}{1 + r_{01} r_{12}} \right|^2 \right), \quad (4)$$

where the Fresnel coefficients  $t$  and  $r$  represent the complex transmission and reflection, and the subscripts 0, 1, and 2 refer to the vacuum, ice sample, or diamond substrate, respectively. For normal incidence, the Fresnel coefficients are typically defined using the  $pq$  notation:  $t_{pq} = 2m_p / (m_p + m_q)$  and  $r_{pq} = (m_p - m_q) / (m_p + m_q)$ , where the  $p$  and  $q$  terms represent the vacuum, ice sample, or diamond substrate (0, 1, or 2) and the  $pq$  notation designates the interfaces between these regions. The  $m$  term represents the complex refractive indices, defined by  $m = n + ik$ . For more details see Chopra (1969), Masterson & Khanna (1990), and Rocha & Pilling (2014).

Next,  $\alpha(\nu)$  is inserted into Equation (2), and the new  $k(\nu)$  values are computed and then inserted into Equation (3) to determine the next values of  $n(\nu)$ . The iteration continues until  $n(\nu)$  and  $k(\nu)$  converge to their final values, which occurs in practice in just a few iterations.



**Figure 11.** Refractive indices (real part  $n$ —panels (a) and (b); imaginary part  $k$ —panels (c) and (d)) and normalized ice particle extinction cross sections  $\chi_{\text{norm}}$  (panels (e) and (f)) for both the libration and  $\nu_2$  bending modes of a  $4.39 \mu\text{m}$  thick film of pure HCN ice (dashed-dotted curves) and a  $4.29 \mu\text{m}$  thick film of an HCN: $\text{C}_6\text{H}_6$  co-condensed ice containing 39% HCN and 61%  $\text{C}_6\text{H}_6$  (solid curves); all vapors were deposited at 110 K. The thin vertical lines are located at  $168$  and  $827 \text{ cm}^{-1}$ , which are the peak wavenumbers in  $k$  for the libration and  $\nu_2$  bend of pure HCN ice. The large asymmetry in the real part of the refractive index for pure HCN causes the effective particle cross section peak to shift to lower wavenumbers, which is not observed for the co-condensed ice since the real part of the refractive index for the HCN: $\text{C}_6\text{H}_6$  mixture is more symmetric, causing the effective particle cross section peak to remain relatively unshifted in wavenumber. The imaginary part of the refractive index also contributes to the change in the effective particle cross section by shifting the wavenumber peak of the co-condensed ice to higher wavenumbers.

To test the accuracy of this iterative procedure, the final  $n(\nu)$  and  $k(\nu)$  values are used to compute the theoretical transmission spectrum for the compound(s) being studied, using Equation (5) in Rocha & Pilling (2014). Finally, the

errors between the channel fringe-corrected experimental and theoretical absorbance spectra are evaluated using the mean absolute percentage error, and are typically less than 0.001%.

All of the absorbance spectra and corresponding optical constant calculations will be added to the SPICE Lab website as they become available at <https://science.gsfc.nasa.gov/691/spicelab>.

#### 4.4. Connection between Refractive Indices and the CIRS-observed Ice Abundances

CIRS spectra are fit by solving the radiative transfer equation, which gives the ice volume extinction coefficient  $N\chi_E$  (see Anderson et al. 2010, 2014, 2016; Anderson & Samuelson 2011 for further explanation).  $N\chi_E$  is the product of the number density of the ice particles  $N$  and the optical extinction cross section per ice particle  $\chi_E$ . In general, in order to obtain  $N$  and  $\chi_E$  separately, additional information is needed. This consists of the refractive indices  $n$  and  $k$  and the ice particle radius  $a$ . In the thermal IR, the size of the particle is typically inferred from the spectral shape of the observed ice emission feature using Mie theory. Once  $n$ ,  $k$ , and  $a$  are known,  $\chi_E$  can then be computed, e.g., with Mie theory. Once  $\chi_E$  is known,  $N$  can then be calculated, from which the number of ice molecules contained in a volume element  $q$  (or ice mole fraction) can then be determined.

We illustrate with one example. Figure 11 shows the relationship between  $n$ ,  $k$ , and  $\chi_E$  for both pure HCN ice and a composite ice containing 39% HCN and 61%  $C_6H_6$ , all vapors deposited at 110 K. In the figure, the normalized extinction cross-section  $\chi_E$  is computed using the small-particle limit from Equation (8.4.2) in Hanel et al. (2003):

$$N\chi_E = 48\pi^2 a^3 \nu N \left( \frac{nk}{(n^2 - k^2 + 2)^2 + 4n^2 k^2} \right). \quad (5)$$

As shown in Figure 11, the spectral dependence of pure HCN ice looks very different from that of the HCN: $C_6H_6$  co-condensed ice. These differences are noticeable in  $n$ ,  $k$ , and  $\chi_E$ . The extinction cross sections for both the libration mode and  $\nu_2$  bending mode of pure HCN ice shift to higher wavenumbers in the composite ice when HCN ice is diluted in the HCN: $C_6H_6$  mixture. This is partly due to  $n$  becoming more symmetrical about the central emission feature near 168 and 827  $cm^{-1}$ , and also to  $k$  shifting to higher wavenumbers in the composite ice.

## 5. Concluding Remarks

The SPECTRAL chamber was designed and built with the main purpose of determining the chemical compositions, structural and optical properties, and formation processes of Titan's CIRS-observed stratospheric ice clouds. The three examples described in Section 4, which compare Titan's CIRS-observed stratospheric ice clouds to laboratory ice spectra, demonstrate the critical need for performing laboratory thin film transmission spectroscopy of both pure and mixed organic ices. Moreover, additional stratospheric ice cloud features observed by CIRS, which are more complex and not discussed here, have proven even more difficult to identify. One example is the unidentified stratospheric emission feature at 221  $cm^{-1}$  (see Figure 6), which we call the Haystack; it is presumed to be a stratospheric ice cloud (see Jennings et al. 2012a, 2012b, 2015; Anderson et al. 2014). Another ice feature is associated with our more recent CIRS discovery—Titan's High-Altitude

South Polar cloud (Anderson et al. 2017), which is spectrally centered at roughly 210  $cm^{-1}$ , and found at relatively high altitudes in Titan's south polar stratosphere during late southern fall. Analyses of both stratospheric ice features using the SPECTRAL chamber are currently underway.

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## References

- Anderson, C., Nna-Mvondo, D., Samuelson, R. E., et al. 2017, AAS Meeting, 49, 304.10
- Anderson, C. M., & Samuelson, R. E. 2011, *Icar*, 212, 762
- Anderson, C. M., Samuelson, R. E., Achterberg, R. K., Barnes, J. W., & Flasar, F. M. 2014, *Icar*, 243, 129
- Anderson, C. M., Samuelson, R. E., Bjoraker, G. L., & Achterberg, R. K. 2010, *Icar*, 207, 914
- Anderson, C. M., Samuelson, R. E., Yung, Y. L., & McLain, J. L. 2016, *GeoRL*, 43, 3088
- Brotherton, T. K., & Lynn, J. W. 1959, *ChRv*, 59, 841
- Chopra, K. L. 1969, *Thin Film Phenomena* (New York: McGraw-Hill)
- Coll, P., Guillemin, J.-C., Gazeau, M.-C., & Raulin, F. 1999, *P&SS*, 47, 1433
- Corain, B. 1982, *Coordination Chemistry Reviews*, 47, 165
- Coustonis, A., Schmitt, B., Khanna, R. K., & Trotta, F. 1999, *P&SS*, 47, 1305
- de Kok, R., Irwin, P. G. J., Teanby, N. A., et al. 2007, *Icar*, 191, 223
- Dello Russo, N., & Khanna, R. K. 1996, *Icar*, 123, 366
- Domingo, M., Millán, C., A, S. M., & Canto, J. 2007, *Optical Measurement Systems for Industrial Inspection*, 66164A, 1
- Frere, C., Raulin, F., Israel, G., & Cabane, M. 1990, *AdSpR*, 10, 159
- Gerakines, P. A., Moore, M. H., & Hudson, R. L. 2004, *Icar*, 170, 202
- Graupner, M. K., Field, T., Youngs, T., & Marr, P. 2006, *NJPh*, 8, 117
- Hanel, R., Conrath, B., Flasar, F. M., et al. 1981, *Sci*, 212, 192
- Hanel, R. A., Conrath, B. J., Jennings, D. E., & Samuelson, R. E. 2003, *Exploration of the Solar System by Infrared Remote Sensing* (Cambridge: Cambridge Univ. Press), 352
- Hirschfeld, T., & Mantz, A. W. 1976, *ApSpe*, 50, 5532
- Hogness, R. T., & Tsai, L. S. 1932, *JChS*, 54, 123
- Jennings, D. E., Achterberg, R. K., Cottini, V., et al. 2015, *ApJL*, 804, L34
- Jennings, D. E., Anderson, C. M., Samuelson, R. E., et al. 2012a, *ApJL*, 754, L3
- Jennings, D. E., Anderson, C. M., Samuelson, R. E., et al. 2012b, *ApJL*, 761, L15
- Khanna, R. K. 2005, *Icar*, 178, 165
- Khanna, R. K., Ospina, M. J., & Zhao, G. 1988, *Icar*, 73, 527
- Maguire, W. C., Hanel, R. A., Jennings, D. E., Kunde, V. G., & Samuelson, R. E. 1981, *Natur*, 292, 683
- Masterson, C. M., & Khanna, R. K. 1990, *Icar*, 83, 83
- Miller, F. A., & Hannan, R. B. 1953, *JChPh*, 21, 110
- Miller, F. A., & Lemmon, D. H. 1967, *AcSpA*, 23A, 1415
- Moore, M. H., Ferrante, R. F., Moore, W. J., & Hudson, R. 2010, *ApJS*, 191, 96
- Moureu, C., & Bongrand, J. C. 1909, *Bull. Soc. Chim. (France)*, 846

- Moureu, C., & Bongrand, J. C. 1910, C. R. Hebd. Seances Acad. Sci. (France), 151
- Moureu, C., & Bongrand, J. C. 1920, Ann. Chim. (Paris), 14, 47
- Raulin, F., & Owen, T. 2002, [SSRv](#), **104**, 377
- Rocha, W., & Pilling, S. 2014, [Spectrochimica Acta Part A: Molecular and Biomolecular Spectroscopy](#), 123, 436
- Sagan, C., & Thompson, W. R. 1984, [Icar](#), **59**, 133
- Samuelson, R. E., Mayo, L. A., Knuckles, M. A., & Khanna, R. J. 1997, [P&SS](#), **45**, 941
- Samuelson, R. E., Smith, M. D., Achterberg, R. K., & Pearl, J. C. 2007, [Icar](#), **189**, 63
- Tempelmeyer, K. E., & Mills, D. W., Jr. 1968, [JAP](#), **39**, 2968
- Thomas, B. H., & Orville-Thomas, W. J. 1968, [JMoSt](#), **3**, 191
- Vinatier, S., Schmitt, B., Bézard, B., et al. 2018, [Icar](#), **310**, 89